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APJ ABDUL KALAM TECHNOLOGICAL UNIVERSITY
07 THRISSUR CLUSTER

SECOND SEMESTER M.TECH. DEGREE EXAMINATION APRIL 2018

Electronics & Communication Engineering
Communication Engineering and Signal Processing
07EC6232 CODING THEORY

Time : 3 hours

Max. Marks: 60

Answer all six questions. Part 'a' of each question is compulsory.

Answer either part 'b' or part 'c' of each question

Q.no.	Module 1	Marks
1a	Consider a polynomial over $GF(2)$. If $\beta \in GF(2^m)$ is a root of this polynomial, prove that its conjugates are also roots of that.	4
	Answer b or c	
b	Define irreducible polynomial and primitive polynomial. Give example for both and verify.	5
c	(i) Define subspace of a vector space. (ii) Consider the vector space V_5 of all 5-tuples over $GF(2)$. Check whether the elements (00000), (10101), (01110), (11011) of V_5 forms a sub space of V_5 .	5

Q.no.	Module 2	Marks
2a	(i) Define Hamming distance and Hamming weight. Give examples for each. (ii) Prove that minimum Hamming weight of a nonzero code word in a code is equal to d_{\min} of the code.	4
	Answer b or c	
b	The generator matrix of (6,3) linear block code is given below. Give its code words and draw its encoder diagram	5

$$G = \begin{bmatrix} 0 & 1 & 1 & 1 & 0 & 0 \\ 1 & 0 & 1 & 0 & 1 & 0 \\ 1 & 1 & 0 & 0 & 0 & 1 \end{bmatrix}$$

c Draw the decoder diagram of a (6, 3) linear block code explain. 5

Q.no. Module 3 Marks

3a Define minimal polynomial. Give any two properties of it and prove them. 4

Answer b or c

b Using the syndrome computation circuit of (7, 4) cyclic code, find out the syndrome for the received vector $r = (0111101)$. Find out the syndrome for the received vector shifted to the right by 3 positions. Verify the computations mathematically. 5

c (i) Give the generator polynomial of (7, 4) cyclic code and find out the code word in systematic form for the message (1011). 5
(ii) Using the encoder diagram (7, 4) cyclic code verify that the same code word is generated for the given message.

Q.no. Module 4 Marks

4a Write down the decoding steps of RS codes. Explain each step in detail. 4

Answer b or c

b Find out the generator polynomial of double error correcting BCH code of length 15. Draw the encoder diagram based on this generator polynomial. 5

c Find out the generator polynomial of double error correcting RS code with symbols from $GF(2^4)$. Draw the encoder diagram based on this generator polynomial. 5

Q.no. Module 5 Marks

5a (i) For the encoder shown in Figure1, write down its generator sequences. 5
(ii) Give its rate and constraint length.
(iii) Give its generator matrix in time domain for an information sequence of length 3 and using it find out the code word corresponding to the information sequence 100.

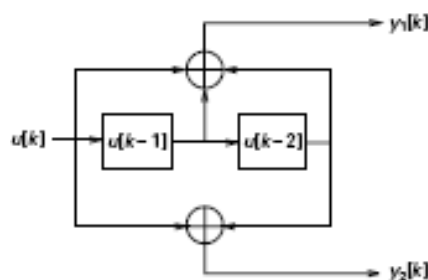


Figure 1

Answer b or c

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|----------|--|----------|
| b | (i) For the encoder shown in Figure 1, draw its state diagram. | 7 |
| | (ii) Draw its trellis diagram and tree diagram for an information sequence of length 3. | |
| | (iii) On the trellis and tree diagrams, trace out the code word corresponding to the information sequence 110. | |
| c | Explain Stack algorithm used for sequential decoding. | 7 |

Q.no.	Module 6	Marks
6a	What is the need of interleaving? Explain block interleaving.	5

Answer b or c

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| b | Explain Trellis coded modulation in detail. | 7 |
| c | Explain Turbo codes in detail. | 7 |